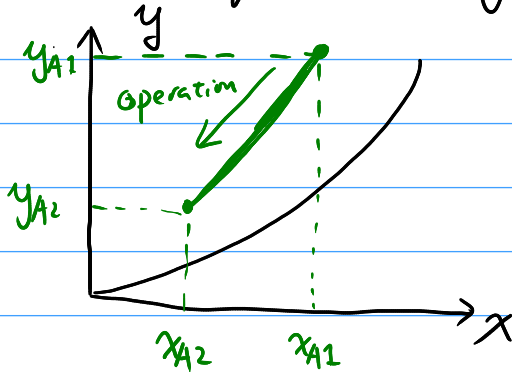


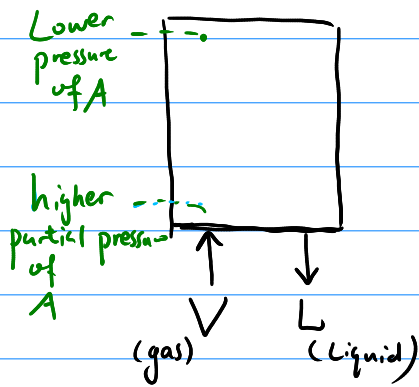
CHE 318 L23

Interphase Mass Transport

What can equilibrium diagram tell us?



Real industrial absorption tower
 Gas inlet (x_{A2}, y_{A2})
 Gas outlet (x_{A1}, y_{A1})



- Absorption tower \Rightarrow operation line above eq. curve

- Stripping / extraction \Rightarrow below eq. curve

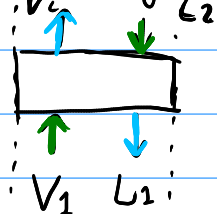
- Q1: Can we know how in & outlet (x, y) are?
 Q2: If Q1 solved, can we know $x(2)$ & $y(2)$?

Let's first study "why" is there an operation line

① Mass balance eq.

If control volume has 2 phases, we don't need

$N_A(x, y)$ at all



L, V = molar flow rate kg mol/s

(A species + carrier gas/liq)

$$In_{liq} + In_{gas} = Out_{liq} + Out_{gas}$$

$$L_2 x_2 + V_1 y_1 = L_1 x_1 + V_2 y_2$$

The above eq uses the fact

$$[\text{Total molar flow rate}] \times [\text{molar frac}] = [\text{A molar flow rate}]$$

$$L = L' + Lx \quad L' \text{ is usually constant (same as } V')$$

\uparrow carrier flow \uparrow A flow rate at x

Some relations

$$x_1 = \frac{Lx_1}{L' + Lx_1} \quad Lx_1 = \left(\frac{x_1}{1-x_1} \right) L_1$$

Constant

$$L_1 = \left(\frac{1}{1-x_1} \right) L'$$

(resembles diffusion through stagnant B $N_A \propto \frac{N_A \bar{E}_{mcd}}{1-x}$)

Final mass balance eq depends on

{ $(x, y) \Rightarrow$ operation line
 $L', V' \Rightarrow$ constant flow

$$L' \left(\frac{x_2}{1-x_2} \right) + V' \left(\frac{y_1}{1-y_1} \right) = L' \left(\frac{x_1}{1-x_1} \right) + V' \left(\frac{y_2}{1-y_2} \right)$$

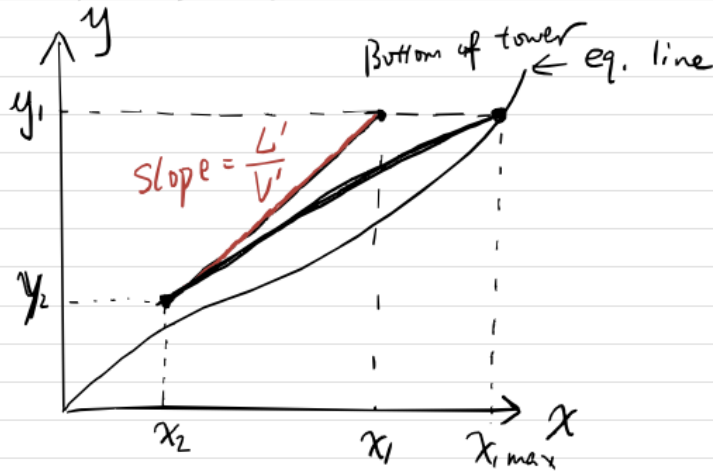
→ Gives the line (x, y) should sit at!

Some simplification $1-x \approx 1$ $1-y \approx 1$ (dilute)

$$L'x_2 + V'y_1 = L'x_1 + V'y_2$$

$$y = \left(\frac{L'}{V'} \right) x + \left[y_1 - \left(\frac{L'}{V'} \right) x_1 \right]$$

What does this mean ?



Slope = $\frac{L'}{V'}$, if V' is fixed decreasingly $L' \Rightarrow$ flatter slope

$$y = \left(\frac{L'}{V'}\right)x + \text{Const}$$

Industrial problem:

usually know gas inlet y_{A1}

desired gas outlet y_{A2}

Liquid inlet x_{A2}

fixed

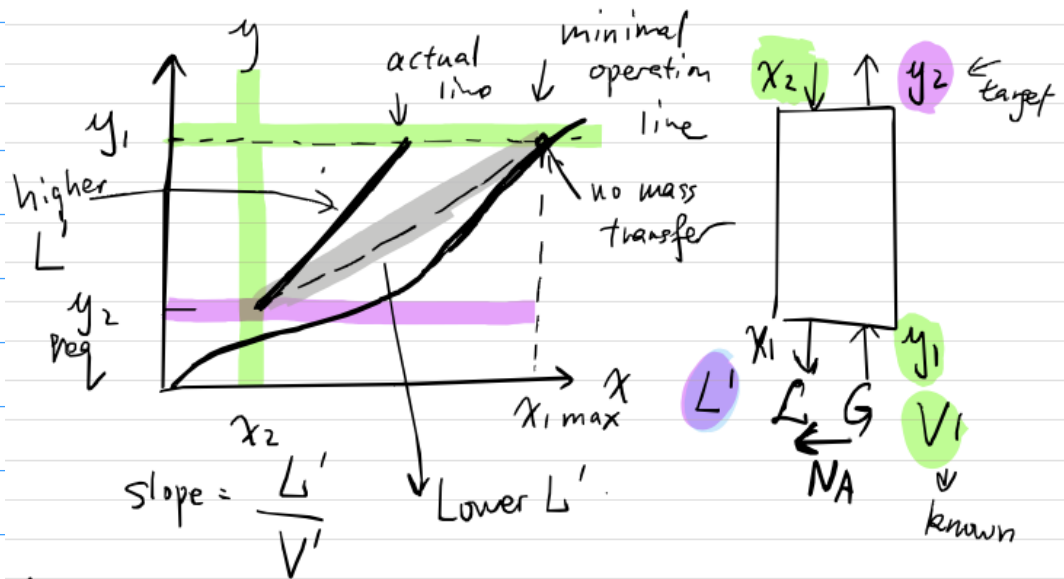
Usually the task for design is

- 1) know y_{A1} , desired y_{A2}
 x_{A2} , find the minimal liquid rate L'

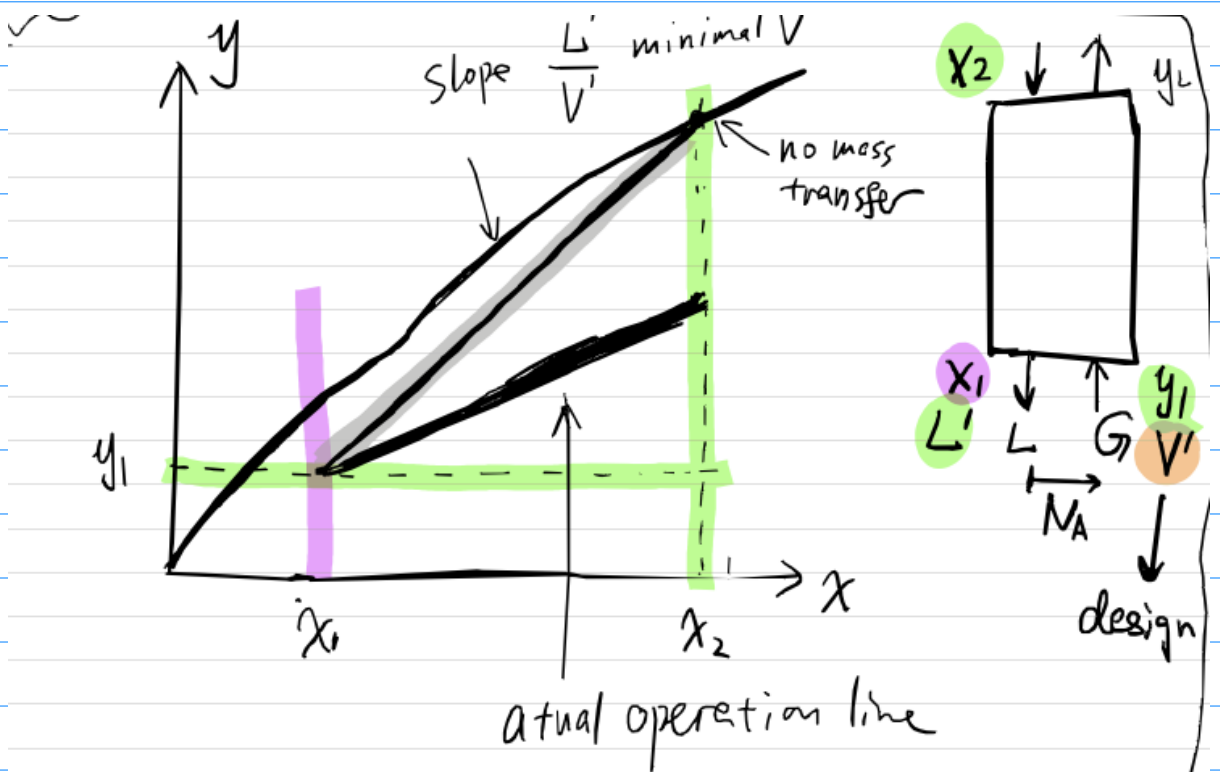
Find x_{A1} ?
 L' ?

- 2) know y_{A1} , x_{A2} , & L' , solve y_{A2} (is y_{A2} lower than some threshold ?)

Two Scenarios



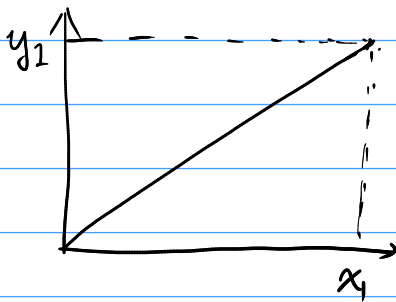
Absorption tower



Stripping tower

Previous example has point 1 at equilibrium

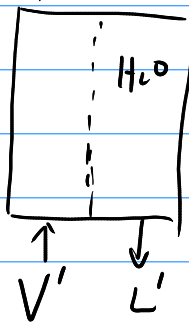
⇒ minimum liquid flow



operation line slope
 $= \frac{L'}{V'}$ we can know minimal L'

Example 2.

$A = C_6H_6(l)$



$V_1 = 100 \text{ kg mol/h}$ $y_1 = 2.2\%$

Desired recovery ⇒ 90% ⇒ $V_2 = V_1 \cdot 0.10$

- $y = 0.68x$ 1) solve minimal flow rate L'
 2) operation $L' = 1.5 L'_{min}$

$V' = V_1 \cdot (1 - y_1) = 100 \cdot (1 - 0.022) = 97.8 \text{ kg mol/h}$

$V y_1 = 2.20 \text{ kg mol/h} \Rightarrow V y_2 = 0.220 \text{ kg mol/h}$
 $= V' \cdot \left(\frac{y_2}{1 - y_2} \right)$

$y_2 = 0.002244$

$$L' \left(\frac{x_2}{1 - x_2} \right) + \overset{97.8}{V'} \left(\overset{0.022}{\frac{y_1}{1 - y_1}} \right) = \overset{97.8}{L'} \left(\frac{x_1}{1 - x_1} \right) + \overset{97.8}{V'} \left(\overset{0.002244}{\frac{y_2}{1 - y_2}} \right)$$

$x_1 = \frac{y_1}{0.68} = 0.03235$

At this condition $x_2 = 0$

Solve $L' = 59.24 \text{ kg mol/h}$